## POLAR COORDINATES: Seeking a Distance and an Angle

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It is convenient at times to locate points on a jobsite by turning a certain angle along a known line and measuring a distance from the instrument to the desired point. The example below is used in the explanation of Rectangular Coordinates, as used in Total Station layout. Point 1 is $40^{\prime}$ along one axis and then offset $20^{\prime}$ at $90^{\circ}$. Using a Transit and tape measure (or the stadia feature in a Transit), Point 1 can be located by turning an angle of $26.6^{\circ}$ and measuring out 44.72'. For those fluent with trigonometry, a tangent calculation and Pythagorean Theorem exercise will obtain the desired angle and distance. For the rest of us, an inexpensive Scientific Calculator will solve the problem nicely. In selecting a Calculator, be sure the instrument converts Rectangular $\rightarrow$ Polar Coordinates and also Decimal Degrees $\rightarrow$ DegreesMinutesSeconds.


Various calculators will have slightly different sequences to obtain Polar Coordinates (i.e. angle \& distance). Having access to a Texas Instrument TI-30x, the key strokes are as follows

## Rectangular to Polar

2nard $[\mathrm{R}-\mathrm{P}]$ converts rectangular coordinates $(x, y)$ to polar coordinates $(r, \theta)$.

Convert rectangular coordinates (40,20)to polar.

| $40[$ 2nd $[x \cdot y] 20$ | 20 |
| :---: | :---: |
|  | deGr 44.721359 |
| [200] [x:v] disisay $\theta$ ] | deg 26.565051 |



With 26.56505118 displayed as a Decimal Degree, by choosing $\mathbf{2}^{\text {nd }}$ function and DD DMS a reading of $\mathbf{2 6}^{\circ} \mathbf{3 3} \mathbf{3 n}^{\prime} \mathbf{5 4}$ will be displayed.

To use $N / E$ instead of $X / Y$, such as shown:

the results would be the following:

## Rectangular to Polar

2nd [ $\mathrm{R} \bullet \mathrm{P}]$ converts rectangular coordinates $(x, y)$ to polar coordinates $(r, \theta)$.

Convert rectangular coordinates(20,40)to polar.

| 20 2nd $[x=y] \mathbf{4 0}$ | DEG |
| :--- | :--- |
| 2nd $[R \sim P]$ (display $r$ ) | DEGr |
| 24.7213595 |  |
| 2nd $[x: y]$ (display $\theta$ ) | DEG $\mathbf{6 3 . 4 3 4 9 4 8 8}$ |

With 63.4349488 displayed as a Decimal Degree, by choosing $2^{\text {nd }}$ function and DD $>$ DMS a reading of $\mathbf{6 3}^{\circ} \mathbf{2 6} \mathbf{6 0 5}^{\prime \prime}$ will be displayed.

